

# COMPOUND PENDULUM

NAME: ..... HOUSE: .....

CLASS: ..... DATE: ..... TEACHER: .....

## Aims of this experiment:

1. Measure the period of a compound pendulum consisting of masses attached to a 1 metre ruler, with holes drilled every 5cm.
2. Period should be measured for a variety of pivot positions
3. Measured period should be compared (via a graph) to a calculation based upon a Simple Harmonic Motion (SHM) model, which involves computation of both the *centre of mass* and the *moment of inertia* of the system.

**TASK1:** Using a mass balance, record the mass of the ruler and the pair of added masses:

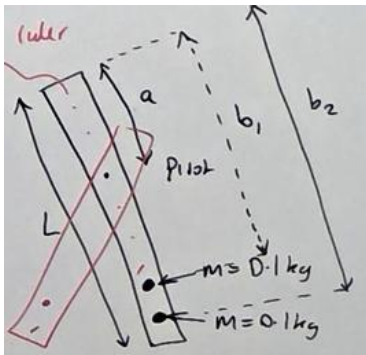
Ruler mass:  $M = \dots\dots\dots$  kg

Weight + screw mass (i.e. one of the pair):  $m = \dots\dots\dots$  kg

**TASK2:** Set up the experiment as per the diagram on the right. Confirm with your teacher before proceeding any further.

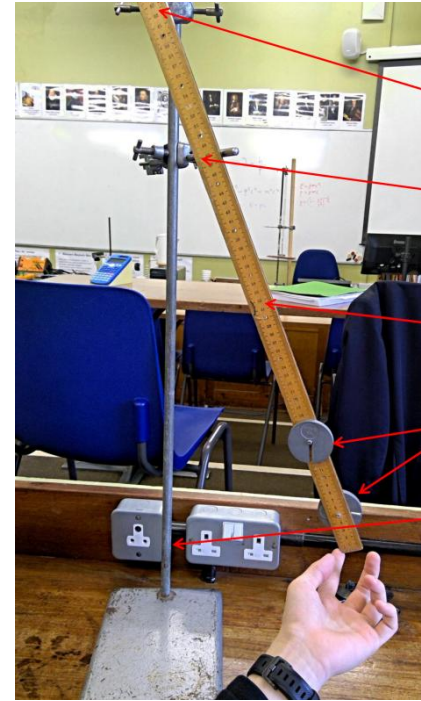
**Make sure the added masses are screwed at  $b_1 = 0.85\text{m}$  and  $b_2 = 0.95\text{m}$  from the end of the ruler, respectively.**

**TASK3:** Calculate the centre of mass of the system, measured from the unweighted end of the ruler (of length  $L = 1.00\text{m}$ ).



$$\bar{x} = \frac{M \times \frac{1}{2}L + mb_1 + mb_2}{M + 2m}$$

$\bar{x} = \dots\dots\dots$  m



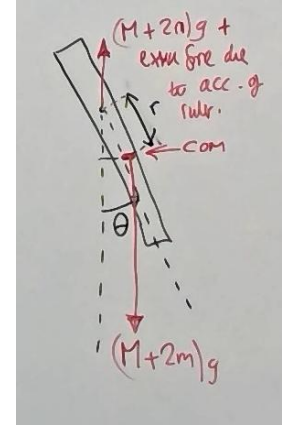
## Equipment

- Boss, clamp and thin metal rod pivot
- Boss, clamp and thick metal rod to ensure initial amplitude of all oscillations are the same
- 1.00m ruler with holes drilled every 5cm
- 2x 0.1kg masses
- Retort stand
- G-clamp for retort stand
- Stopwatch
- Mass balance

**TASK4:** Explain why the initial angle of oscillation must be **less than one radian** for a *Simple Harmonic Motion* (SHM) model to be assumed.

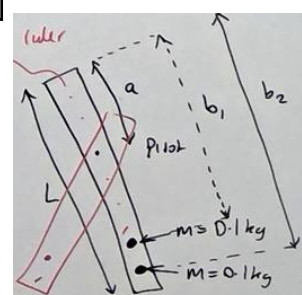
**TASK5:** Use the table below to record the times of **ten periods**, for the pivot positions stated:

Pivot position $a$ /m	Ten periods 10T /s REPEAT 1	Ten periods 10T /s REPEAT 2	Ten periods 10T /s REPEAT 3	Mean value of period T /s	Error in T /s (Standard deviation)	Pivot to centre of mass distance $r$ /m	Moment of inertia $I$ / $\text{kgm}^2$	Model period /s
0.01								
0.05								
0.10								
0.15								
0.20								
0.25								
0.30								
0.35								
0.40								
0.45								
0.50								



**TOP TIP:**

USE A **SPREADSHEET** FOR THE CALCULATIONS AND COPY YOUR ANSWERS ACROSS TO THIS SHEET



**TASK6:** Calculate the **moment of inertia**  $I$  and hence the model period  $T$  /s for *each* pivot position. Take the strength of gravity as  $g = 9.81\text{N/kg}$ .

$\bar{x} = \dots\dots\dots$  m      $L = 1.00\text{m}$

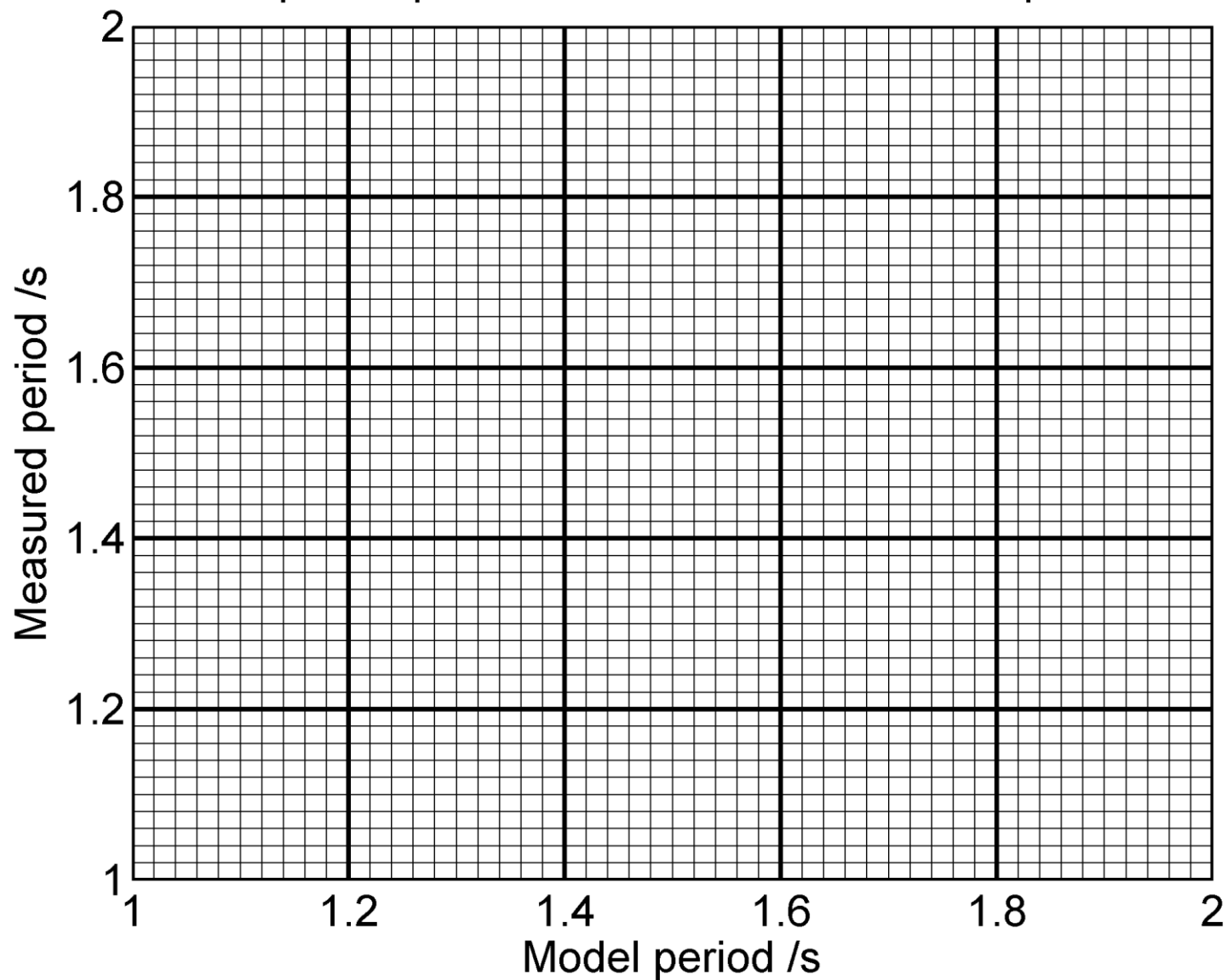
$M = \dots\dots\dots$  kg

$m = \dots\dots\dots$  kg

$$T = 2\pi \sqrt{\frac{I}{(M+2m)gr}} \quad I = \frac{M}{3L} \left( (L-a)^3 + a^3 \right) \quad r = \bar{x} - a$$

**TASK7:** Plot measured vs model periods using the axes below. Determine a **line of best fit** from the origin and measure the **gradient**. If using Excel, determine the (square of) the product moment correlation coefficient  $R^2$ . In the text box below, comment on the **correlation** between model and measurement. **BE QUANTITATIVE.**

### Compound pendulum. Model vs measured period.



Comments: