

NUCLEAR & PARTICLE PHYSICS

CHEMICAL processes involve the exchange and interactions between electrons in atomic and molecular structures. Energies are typically a few eV. [$1 \text{ eV} = 1.60 \times 10^{-19} \text{ J}$]. Ionization energy of Hydrogen is 13.6 eV, photoelectric effect work functions for metals is 2.4 eV (Na) \rightarrow 5.1 eV (Au).

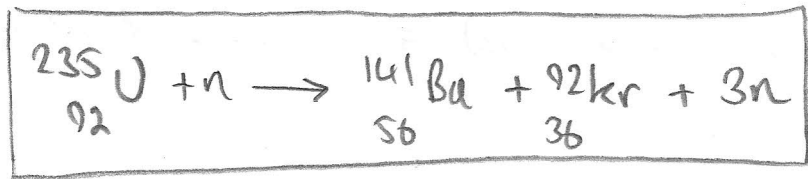
NUCLEAR processes (radioactivity, fission, fusion...) have energies of a few MeV

HIGH ENERGY ("particle physics") processes are when KE of particles \approx their rest mass energy i.e. mc^2 , so a few GeV

NUCLEAR FISSION
[Otto Hahn 1879-1968]

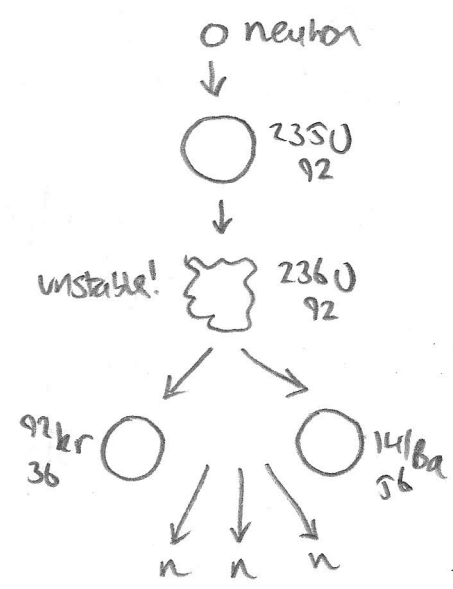
well... requires neutrons in $^{235}_{92}\text{U}$ example
The spontaneous fragmentation of a heavy atomic nucleus, releasing MeV worth of energy. $10^6 \times$ more energy dense than burning fossil fuels!

Example:

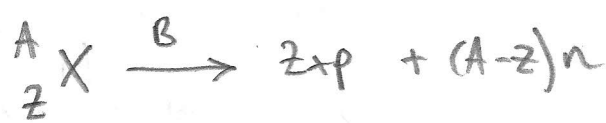


Reaction produces 2 more neutrons, so if uncontrolled, can result in a **chain reaction**
 \rightarrow **nuclear explosion** (Atomic weapons etc).

If neutron flux controlled using non fissile absorbers (eg graphite moderator rods), can result in a sustained source of heat i.e. a **nuclear reactor**



BINDING ENERGY



Energy required to break an atom into its p and n parts

Hence:

$$Mc^2 + B = ZM_p c^2 + (A-Z)M_n c^2$$

\uparrow mass of element X

or

$$B_x = Zm_p c^2 + (A-Z)m_n c^2 - M_x c^2 \quad \text{for } {}^A_Z X$$

m_p	proton mass	$1.6726218 \times 10^{-27} \text{ kg} = 1.00728 \text{ u} = 938.272 \text{ MeV}/c^2$
m_n	neutron mass	$1.6749275 \times 10^{-27} \text{ kg} = 1.00866 \text{ u} = 939.565 \text{ MeV}/c^2$
m_e	electron mass	$9.1093836 \times 10^{-31} \text{ kg} = 5.48580 \times 10^{-4} \text{ u} = 0.510999 \text{ MeV}/c^2$
u	Atomic mass unit = $\frac{1}{12}$ mass of ${}^{12}_6\text{C}$	$1.6605390 \times 10^{-27} \text{ kg} = 931.494 \text{ MeV}/c^2$

$c = 299792458 \text{ m/s}$ $e = 1.60217662 \times 10^{-19} \text{ C}$

In nuclear and particle physics $\frac{\text{MeV}}{c^2}$ or $\frac{\text{GeV}}{c^2}$ are useful mass units. $1 \frac{\text{GeV}}{c^2} = 1.7826619 \times 10^{-27} \text{ kg} = 1.073544 \text{ u}$

Now for nuclear reaction $\sum_i \begin{matrix} A_i \\ Z_i \end{matrix} X_i \rightarrow \sum_j \begin{matrix} A_j \\ Z_j \end{matrix} Y_j$
(not α, β decay)

Energy conservation means (since total # of protons & neutrons is the same on both sides)

$$\sum_i (M_i c^2 + B_i) = \sum_j (M_j c^2 + B_j) \quad \text{' means 'products'}$$

So energy released, which corresponds to mass loss $\times c^2$

is: $DE = \sum_i M_i c^2 - \sum_j M_j c^2 = \sum_j B_j - \sum_i B_i$
= difference in output total binding energy - input binding energy.



$DE = B_{\text{Ba}} + B_{\text{Kr}} - B_{\text{U}}$ { No binding energy for n }

