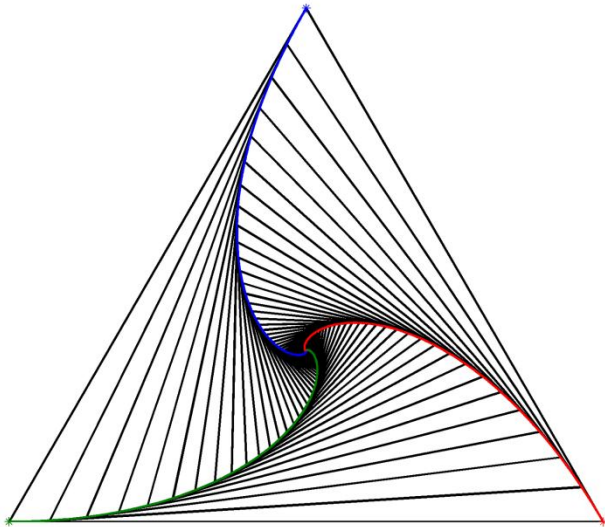
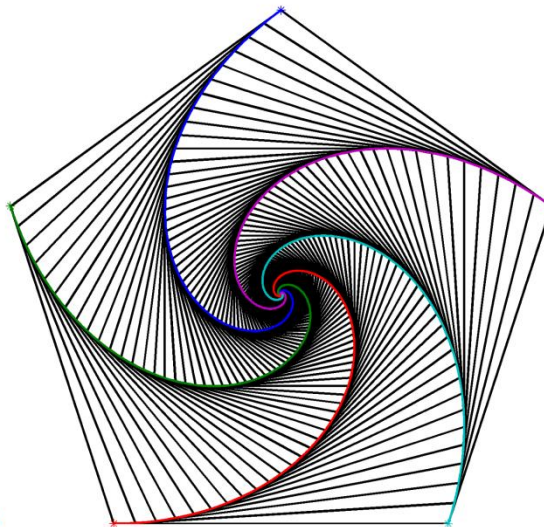


Snails of pursuit around a 3-gon.
T=8mins, v=5cm/min, s=60cm.



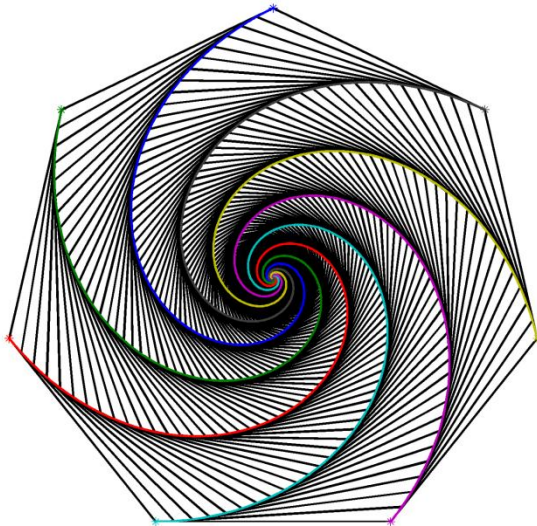
(a)

Snails of pursuit around a 5-gon.
T=17.4mins, v=5cm/min, s=60cm.



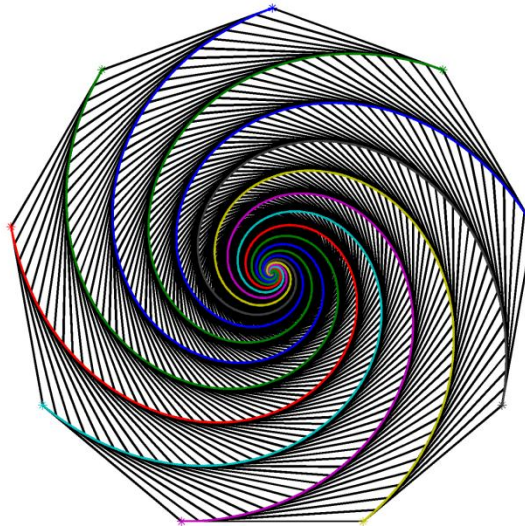
(b)

Snails of pursuit around a 7-gon.
T=31.9mins, v=5cm/min, s=60cm.



(c)

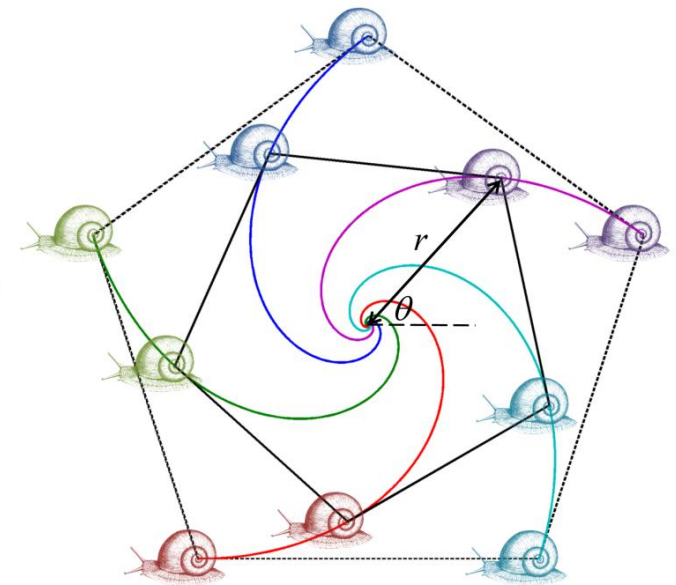
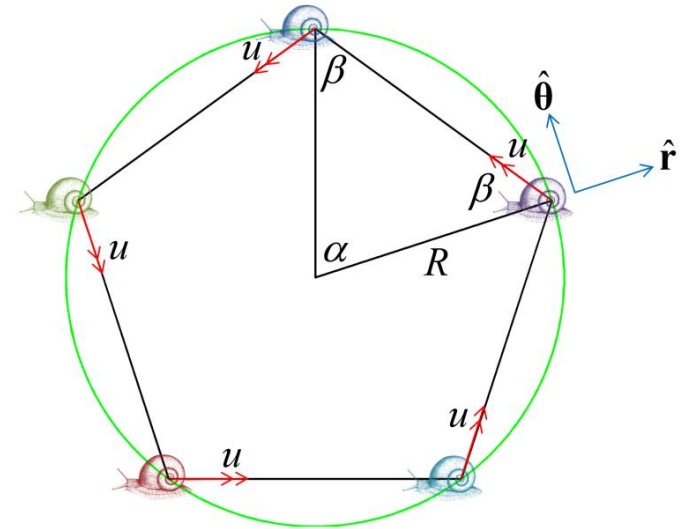
Snails of pursuit around a 9-gon.
T=51.3mins, v=5cm/min, s=60cm.

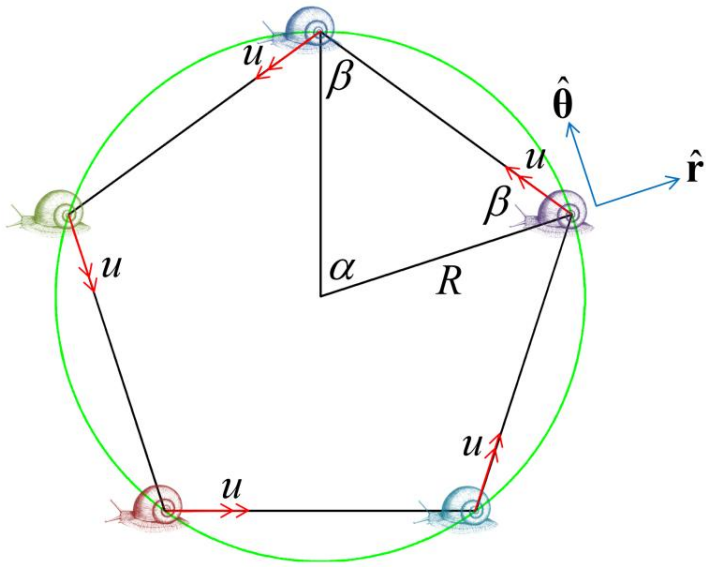


(d)

$$2\beta + \alpha = 180^\circ \quad 5\alpha = 360^\circ$$

$$\therefore \beta = \frac{1}{2} \left(180^\circ - \frac{1}{5} 360^\circ \right) = 54^\circ$$





$$\mathbf{v} = -u \cos \beta \hat{\mathbf{r}} + u \sin \beta \hat{\boldsymbol{\theta}}$$

$$\dot{r} = -u \cos \beta$$

$$r \dot{\theta} = u \sin \beta$$

$$T = \frac{R}{u \cos \beta}$$

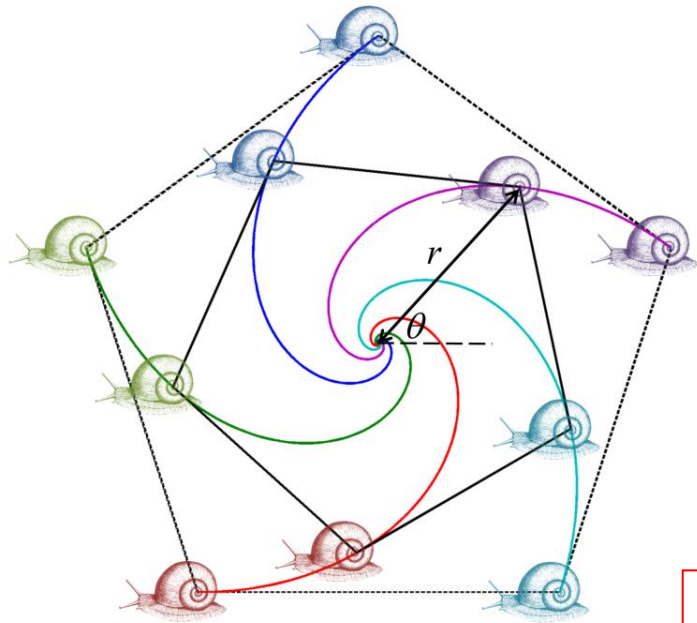


$$r(t) = R - ut \cos \beta$$

$$\dot{\theta}(t) = \frac{u \sin \beta}{R - ut \cos \beta}$$

$$\theta(t) = \theta_0 + \ln \left(\frac{R}{R - ut \cos \beta} \right) \tan \beta$$

$$\theta = \theta_0 + \ln \left(\frac{R}{r} \right) \tan \beta$$



$$2\beta + \alpha = 180^\circ \quad 5\alpha = 360^\circ$$

$$\therefore \beta = \frac{1}{2} \left(180^\circ - \frac{1}{5} 360^\circ \right) = 54^\circ$$